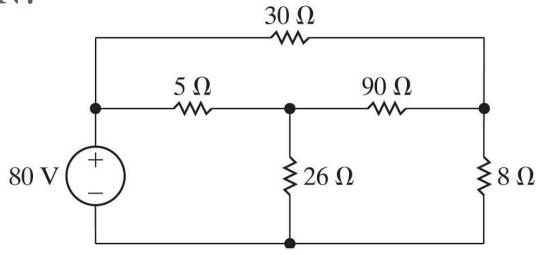
The mesh current method:

- The dual of the node voltage method
- Uses KVL equations around meshes
- Solves directly for currents
- Special cases for dependent sources and for current sources in a mesh.

The basic mesh current method recipe:

- 1. Identify the meshes
- 2. Label each with a mesh current
- 3. Write a KVL equation around each mesh
- 4. Put equations in standard form and solve
- 5. Check your solutions by balancing power
- 6. Calculate quantities of interest

# HOW MANY MESHES DOES THIS CIRCUIT CONTAIN?

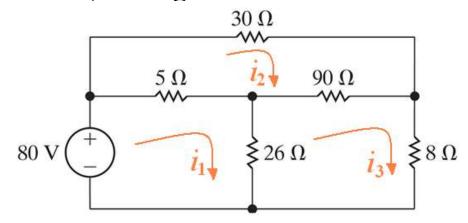


**X** A. 1 **X** B. 2

**✓** C. 3

**X**<sub>D.</sub> 4

Find the power associated with the voltage source and the  $8 \Omega$  resistor, using the mesh current method.



$$i_1 \text{ mesh}: -80 + 5(i_1 - i_2) + 26(i_1 - i_3) = 0$$

$$i_2 \text{ mesh}: 30(i_2) + 90(i_2 - i_3) + 5(i_2 - i_1) = 0$$

$$i_3$$
 mesh:  $8(i_3) + 26(i_3 - i_1) + 90(i_3 - i_2) = 0$ 

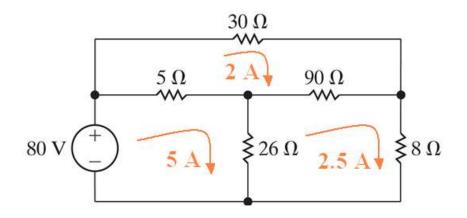
$$i_1(5+26) + i_2(-5) + i_3(-26) = 80$$

Standard form: 
$$i_1(-5) + i_2(30 + 90 + 5) + i_3(-90) = 0$$

$$i_1(-26) + i_2(-90) + i_3(8 + 26 + 90) = 0$$

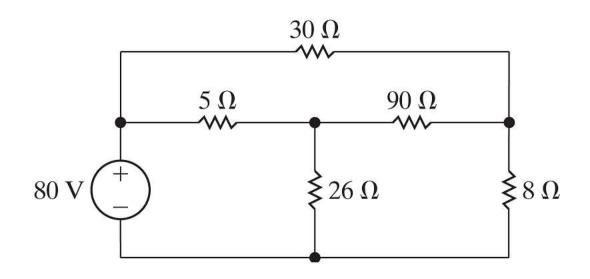
Solution:  $i_1 = 5 A$ ;  $i_2 = 2 A$ ;  $i_3 = 2.5 A$ 

Power balance:



Component	Equation	p [W]
80 V	-(5)(80)	-400
$5\Omega$	$(5-2)^2(5)$	45
90 Ω	$(2.5-2)^2(90)$	22.5
30 Ω	$(2)^2(30)$	120
$26\Omega$	$(5-2.5)^2(26)$	162.5
8 Ω	$(2.5)^2(8)$	50

IF YOU WERE ASKED TO USE THE NODE VOLTAGE METHOD, HOW MANY EQUATIONS WOULD YOU WRITE AND SOLVE?



- X A. 3 KCL, 0 constraint
- **X** B. 2 KCL, 1 constraint
- X C. 1 KCL, 2 constraint
- ✓ D. 2 KCL, 0 constraint

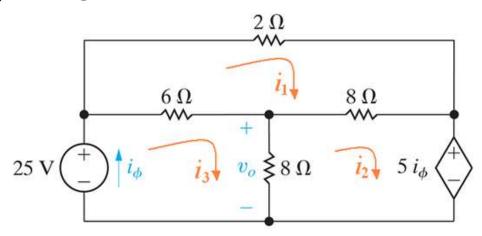
Mesh current method, special cases:

- Dependent sources
- •Current source on the perimeter of a mesh
- Current source shared between two meshes

The modified mesh current method recipe:

- 1. Identify the meshes
- 2. Label each with a mesh current
- 3. Write a KVL equation around each mesh
  - a) Are there any dependent sources? If so, write a constraint equation defining the controlling quantity for the dependent source
- 4. Put equations in standard form and solve
- 5. Check your solutions by balancing power
- 6. Calculate quantities of interest

Find  $v_0$  using the mesh current method.



$$i_1 \text{ mesh}: 2i_1 + 8(i_1 - i_2) + 6(i_1 - i_3) = 0$$

$$i_2 \text{ mesh}: 5i_{\phi} + 8(i_2 - i_3) + 8(i_2 - i_1) = 0$$

$$i_3$$
 mesh:  $-25 + 6(i_3 - i_1) + 8(i_3 - i_2) = 0$ 

constraint :  $i_{\phi} = i_3$ 

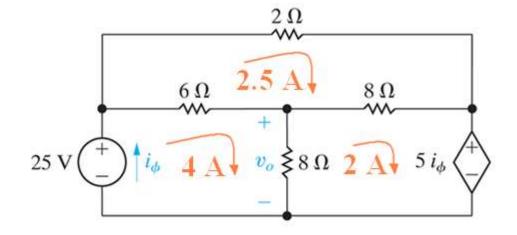
$$i_1(2+8+6)+i_2(-8)+i_3(-6) = 0$$

Standard form: 
$$i_1(-8) + i_2(8+8) + i_3(5-8) = 0$$

$$i_1(-6) + i_2(-8) + i_3(6+8) = 25$$

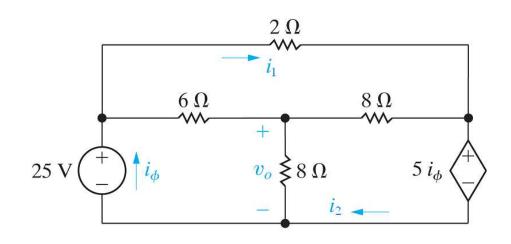
Solution: 
$$i_1 = 2.5 \text{ A}$$
;  $i_2 = 2 \text{ A}$ ;  $i_3 = i_\phi = 4 \text{ A}$ 

Power balance:



Component	Equation	p [W]
25 V	-(4)(25)	-100
Dep. source	(2)[5(4)]	40
$6\Omega$	$(4-2.5)^2(6)$	13.5
$2~\Omega$	$(2.5)^2(2)$	12.5
8 Ω (middle)	$(4-2)^2(8)$	32
8Ω (right)	$(2-2.5)^2(8)$	2

If  $i_{\phi} = 4$  A,  $i_{1} = 2.5$  A, and  $i_{2} = 2$  A, what is the current in the middle 8  $\Omega$  Resistor from + to -?



**✓** A. 2 A

**X** B. 4 A

**X** C. 4.5 A

**X**<sub>D.</sub> 6 A