Objectives:

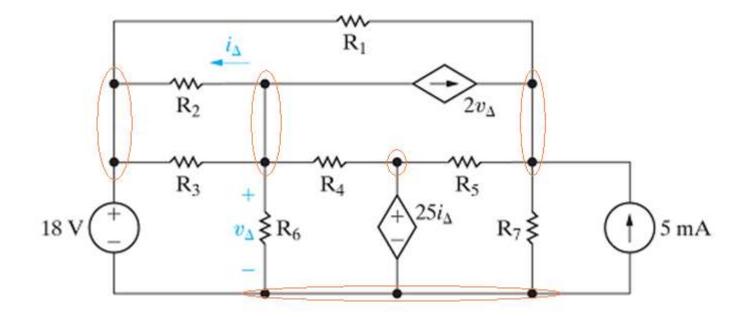
- •Know how to use the node voltage method to solve a circuit
- •Know how to use the mesh current method to solve a circuit
- •Be able to choose the appropriate circuit analysis method to use for a particular circuit
- •Know how to use source transformation to simplify a circuit
- •Be able to calculate the Thevenin and Norton equivalents for a circuit
- •Understand and be able to use the condition for maximum power transfer to a load

Terminology:

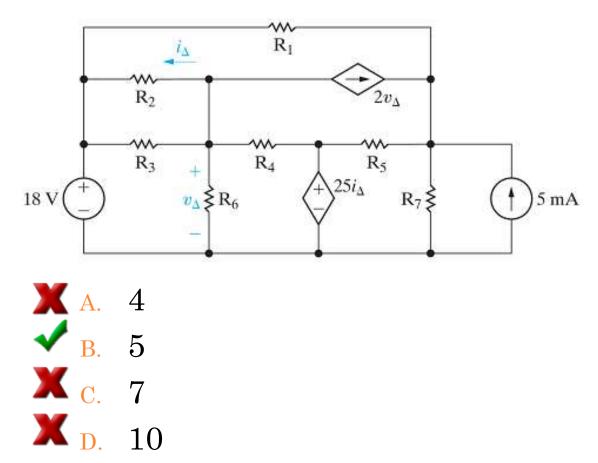
•Node – a point where two or more circuit elements are joined

- •Essential node a point where three or more circuit elements are joined
- •Loop a path whose ending node is the same as its starting node, and does not contain any intermediate nodes more than once
- •Mesh a loop that does not contain any other loops

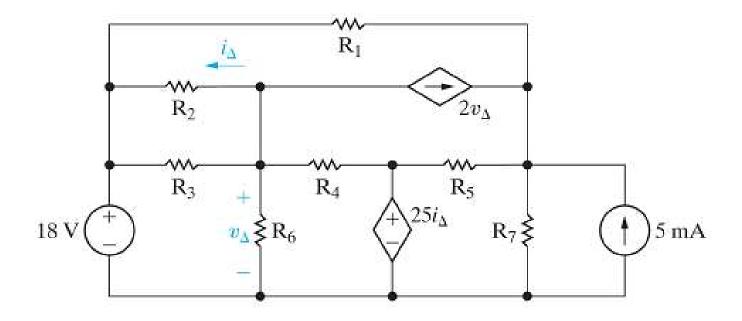
Identify all of the nodes in this circuit.



# HOW MANY ESSENTIAL NODES DOES THIS CIRCUIT HAVE?

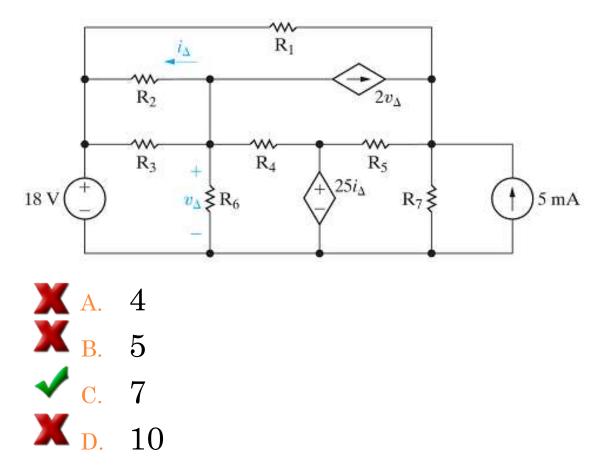


Identify all of the loops in this circuit.



 $\begin{array}{l} R_1, \, dep. \ source, \ R_2 \\ R_1, \ R_5, \ R_4, \ R_2 \\ Dep. \ Source, \ R_4, \ R_5 \\ R_2, \ dep. \ source, \ R_5, \ R_4, \ R_3 \\ Etc \ \ldots \end{array}$ 

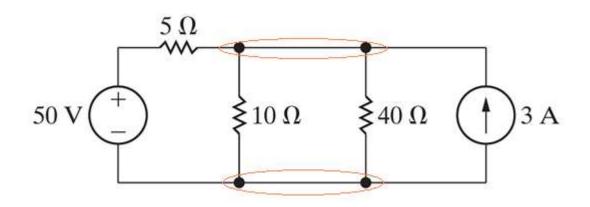
# HOW MANY MESHES DOES THIS CIRCUIT HAVE?



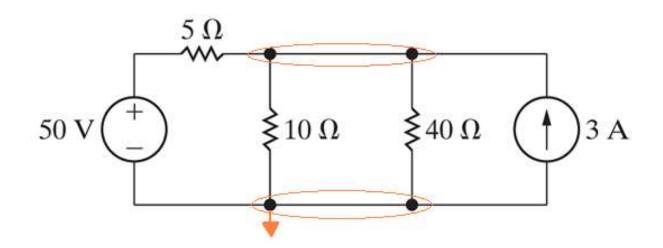
Node voltage method:

- •Based on writing KCL equations at essential nodes
- •Solves for node voltages
- •The "recipe":
  - 1. Identify the essential nodes
  - 2. Pick a reference node
  - 3. Label remaining essential nodes with voltage values
  - 4. Write a KCL equation at each nonreference essential node
  - 5. Put equations in standard form and solve
  - 6. Check your solutions by balancing power
  - 7. Calculate quantities of interest

Node voltage method: Step 1 – identify the essential nodes

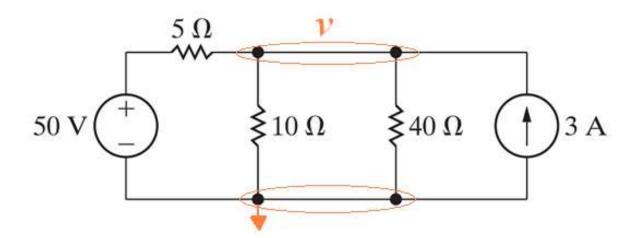


Node voltage method: Step 2 – pick a reference node



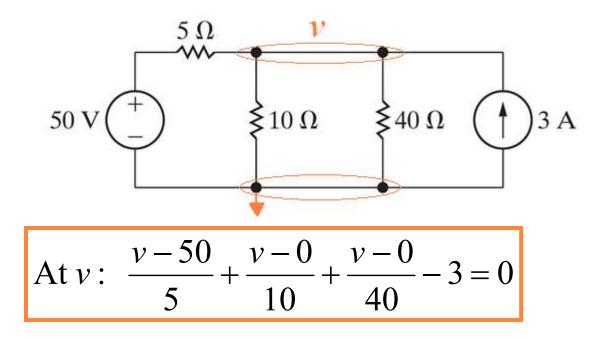
Node voltage method:

Step 3 – label the remaining essential nodes with voltage values



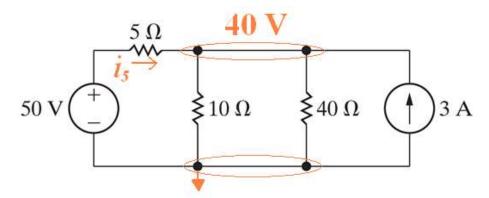
Node voltage method:

Step 4 – write a KCL equation at each nonreference essential node



Node voltage method: Step 5 – put the equations in standard form and solve  $5\Omega$ ≹10 Ω ≹40 Ω 3 A 50 V $\frac{v-50}{5} + \frac{v-0}{10} + \frac{v-0}{40} - 3 = 0$  $\Rightarrow v\left(\frac{1}{5} + \frac{1}{10} + \frac{1}{40}\right) = 3 + \frac{50}{5}$  $(40)\left[v\left(\frac{1}{5} + \frac{1}{10} + \frac{1}{40}\right)\right] = (40)\left[3 + \frac{50}{5}\right]$  $\Rightarrow$ v(8+4+1) = 120+400v = 520/13 = 40 V

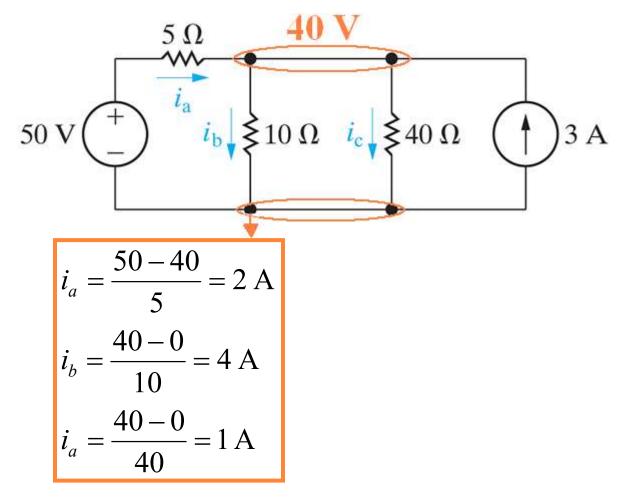
Node voltage method: Step 6 – check your solutions



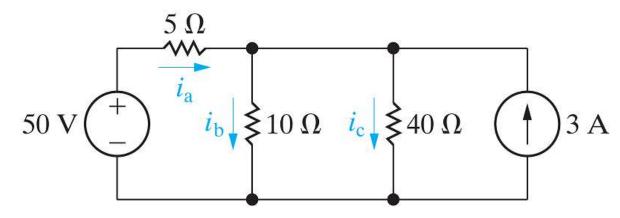
$$i_{5} = \frac{50 - 40}{5} = 2 \text{ A} \qquad p_{50} = -(50)(2) = -100 \text{ W}$$
$$p_{5} = 5(2)^{2} = 20 \text{ W} \qquad p_{10} = (40)^{2}/10 = 160 \text{ W}$$
$$p_{10} = (40)^{2}/40 = 40 \text{ W} \qquad p_{3} = -(40)(3) = -120 \text{ W}$$
$$\sum p = -100 + 20 + 160 + 40 - 120 = 0$$

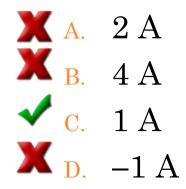
Node voltage method:

Step 7 – calculate any other quantities of interest



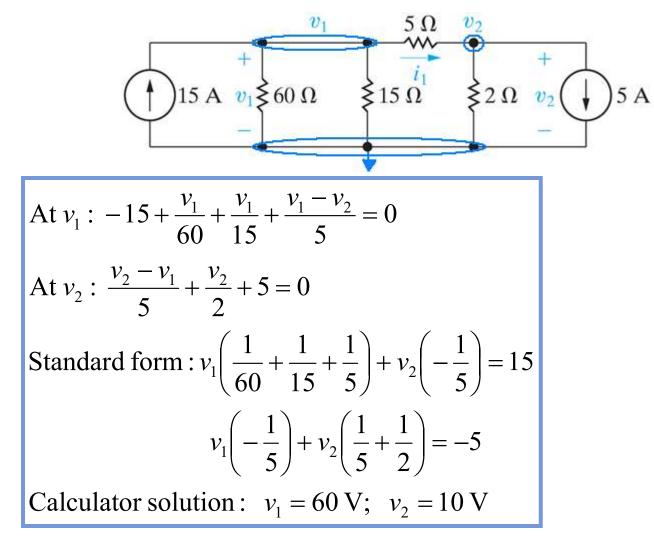
WE JUST SHOWED THAT THE VOLTAGE DROP BETWEEN THE TOP NODE AND THE REFERENCE NODE IN THIS CIRCUIT IS 40 V. FIND  $i_C$ 





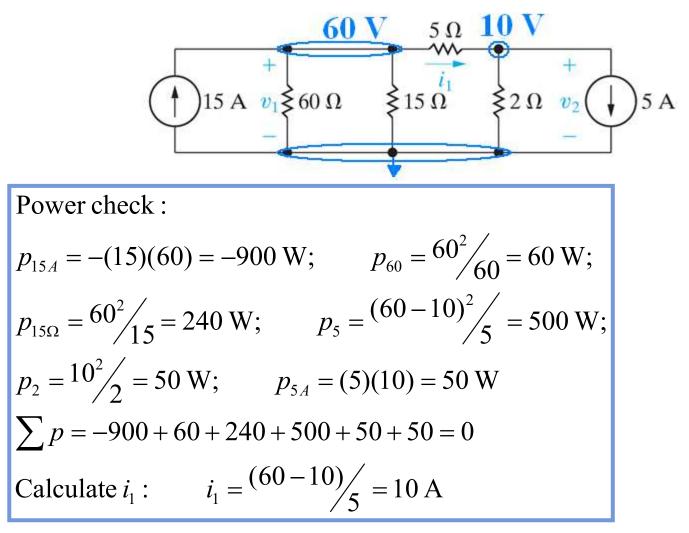
Node voltage method:

Find the two voltages and the current indicated.

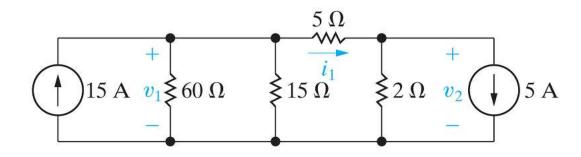


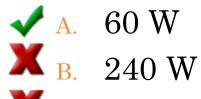
Node voltage method (continued):

Find the two voltages and the current indicated.



### IF $v_1$ is 60 V and $v_2$ is 10 V, what is the power associated with the 60 $\Omega$ resistor?





- **X**<sub>C.</sub> 3600 W
- $\mathbf{X}$  D. None of the above

### IF $v_1$ is 60 V and $v_2$ is 10 V, what is the power associated with the 5 A source?

